



μ μ

&

μμ

&



13 :



13 :

13.1

μ

μ

μ

μ

.

μ

μ

μ

μ

μ

μ

.

μ

μ

μ

μ

.

μ

μ

μ

μ

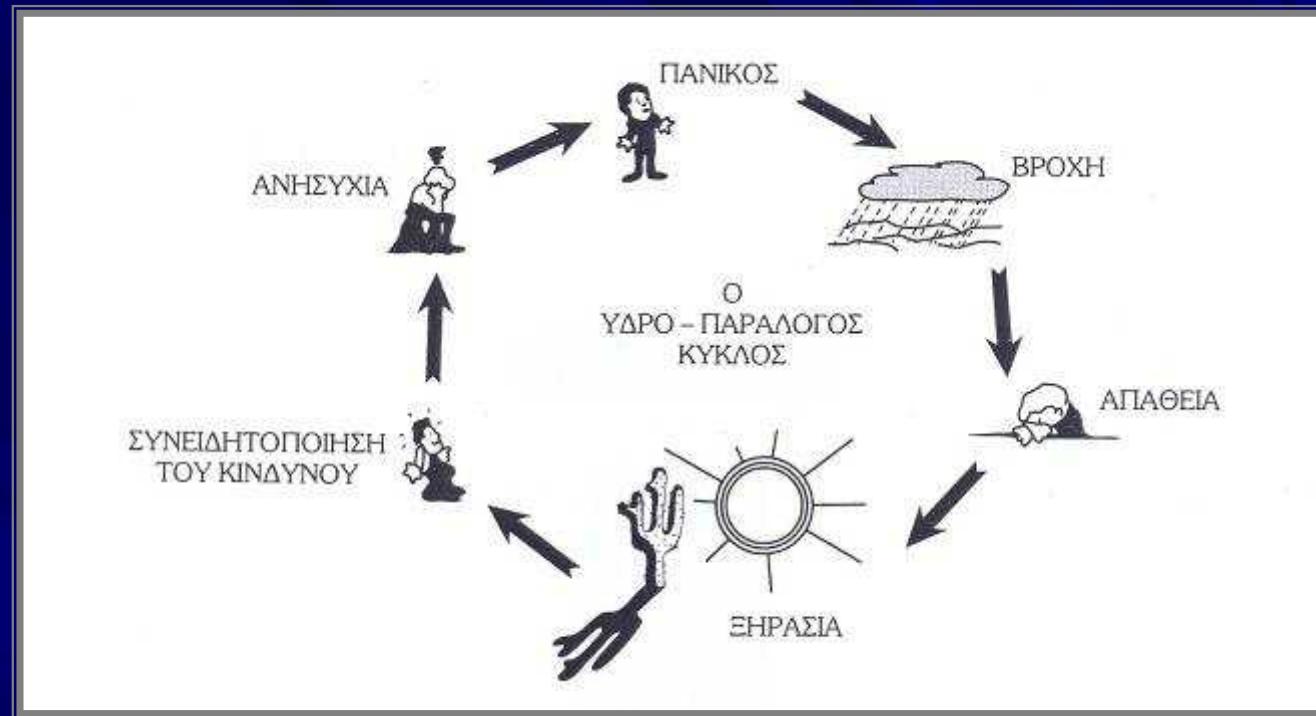
μ

,

,

μ

μ



. 13.1: " "

μ

μ

μ

μ

μ

" - "

" - "

" . 13.1 (Wilhite, 1993)



μ	μ	$/ PET$
		< 0.03
		$0.03 - 0.20$
μ		$0.20 - 0.50$
		$0.50 - 0.75$
		> 0.75

13.2

μ

μ

μ

μ

μ

μ

μ

(Grigg
Vlachos, 1989):



(μ μ μ μ).



(μ μ , μ).



- μ

μ).

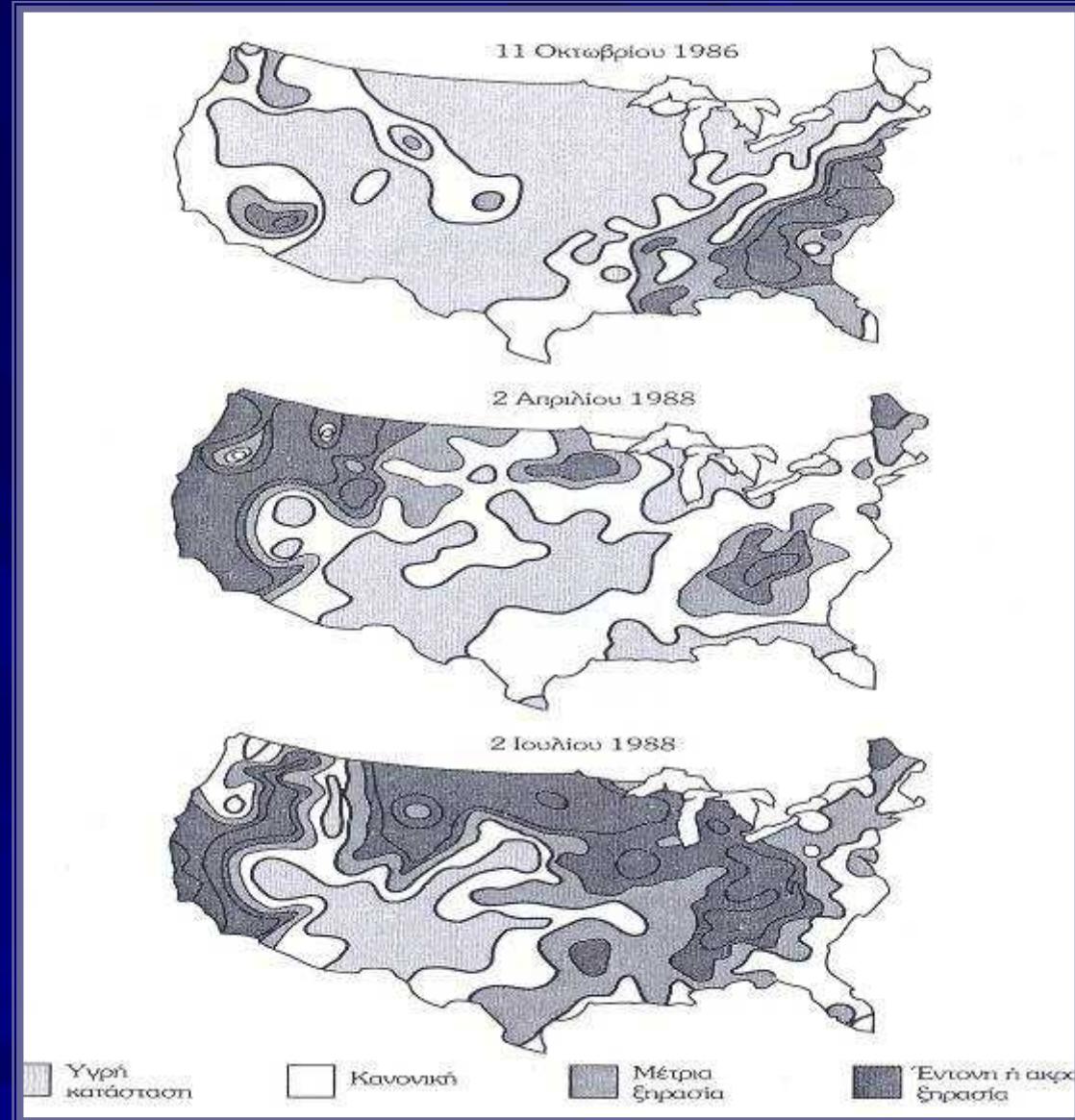
μ ,

$\mu\mu$

μ

μ

μ μ



3.2: *Palmer*
1986-88

μ

13.3

$$\mu \quad \mu \quad " \quad \mu \quad " \quad \mu \quad . \\ \mu \quad , \quad \mu \quad \mu \quad \mu \quad / \quad . \\ (\dots, \mu, \mu, \mu, \mu).$$

➤ , μ μ

$$\begin{array}{ccccccccc} & \mu & & \mu & & & & \mu \\ & , & & & & & & \\ " & \mu & \mu & " & \mu & & & (& . . . , \mu \\ & \mu & & \mu & & & & \mu &) . \end{array}$$

(i)

$$\mu \quad : \quad \mu$$

(ii)

$$\begin{matrix} & \mu & , & & \mu & , & & \mu \\ \mu & , & \mu & , & \mu & , & \mu & , & \mu \end{matrix}$$

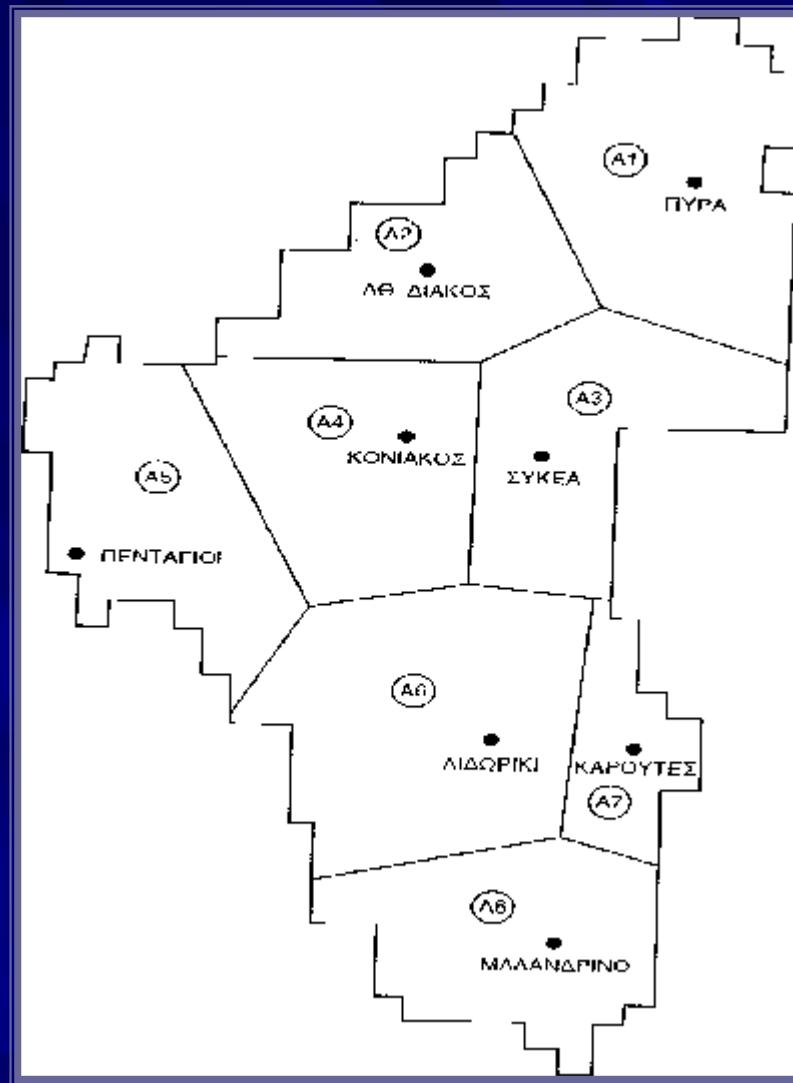
μ , μ , μ , μ , μ , μ , “ μ ”.

13.4 13.5).

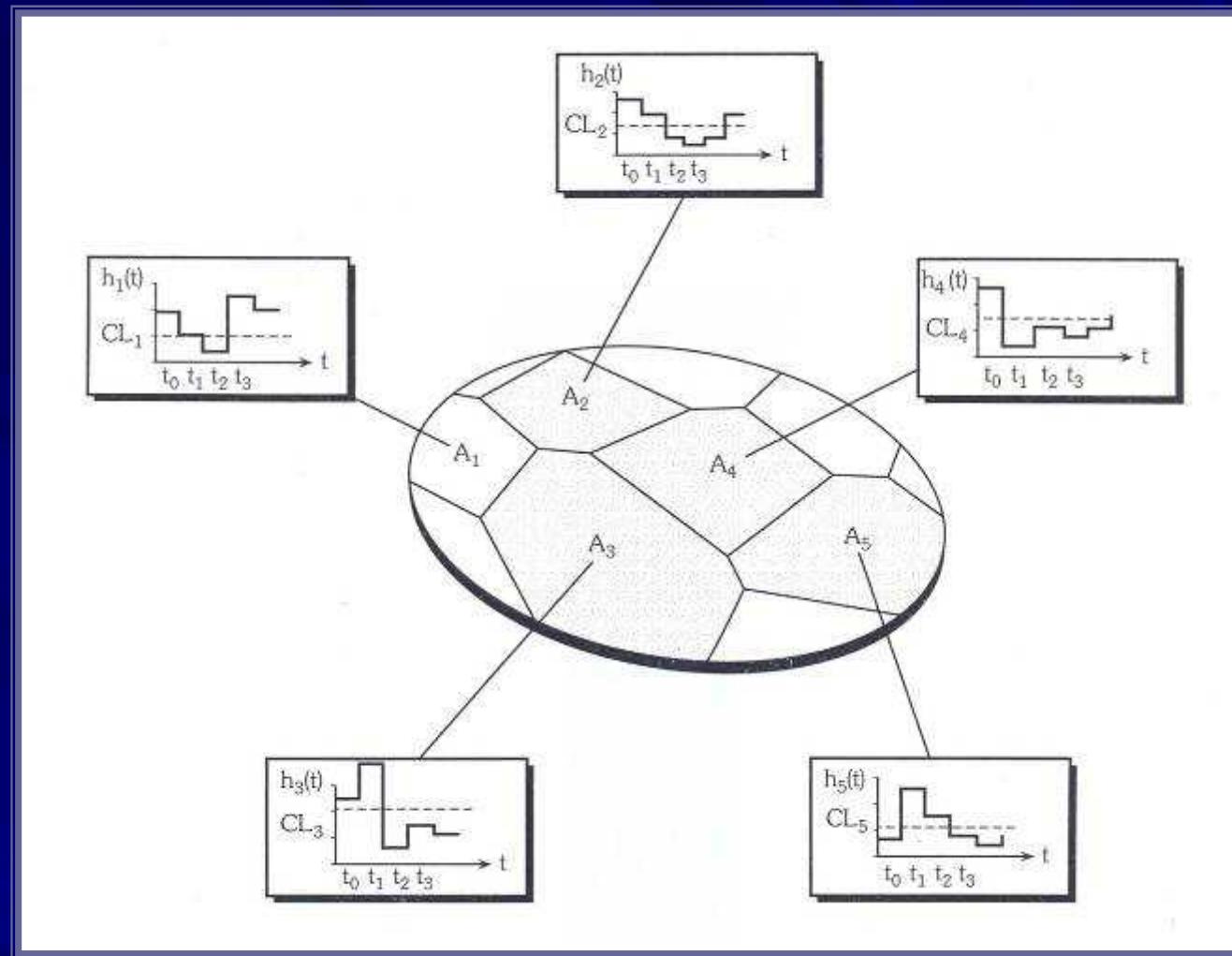
(drought risk),

(resilience)

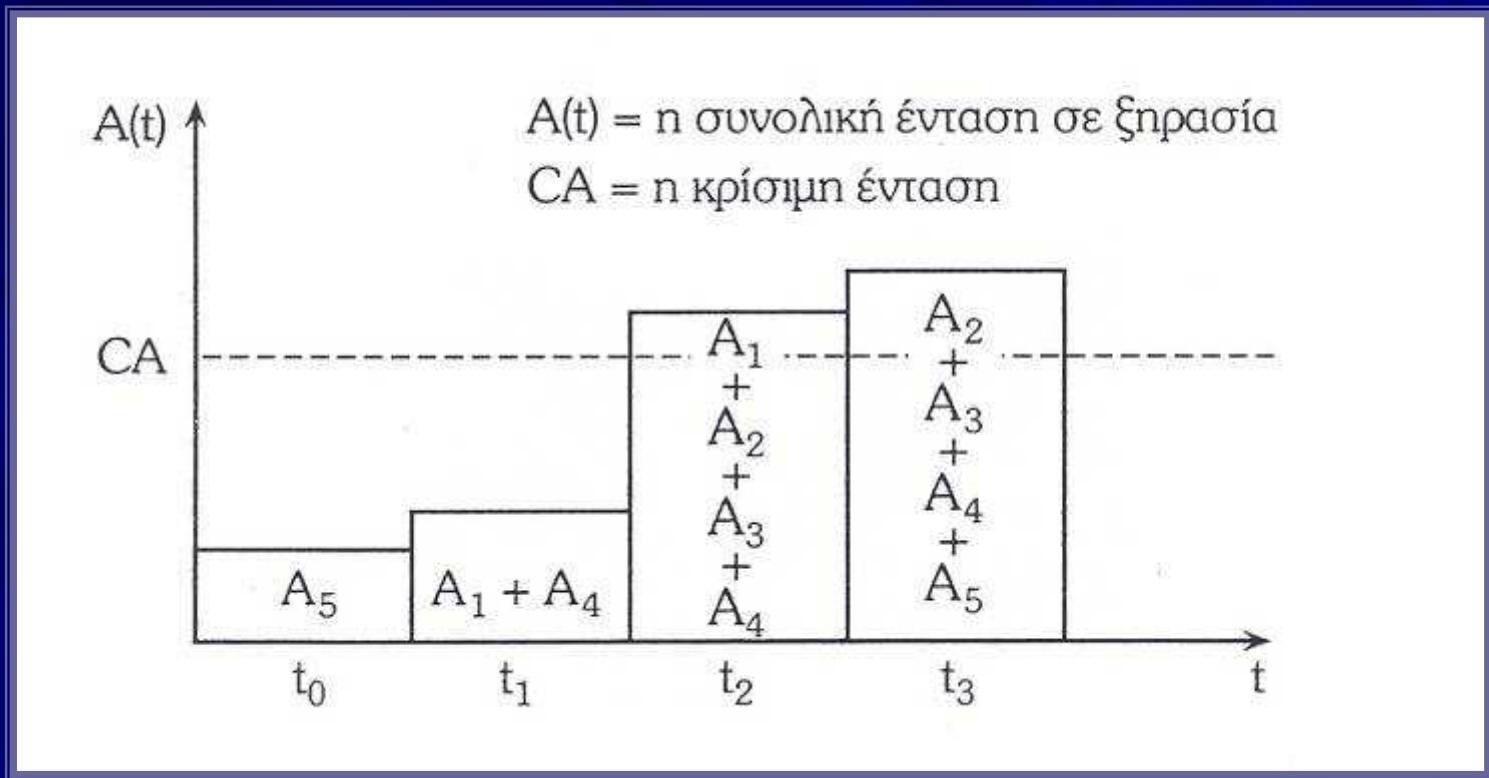
(Hashimoto et al., 1982; Duckstein et al., 1984).



. 13.3: μ μ
 μ Thiessen -
 μ μ 1 Km)



. 13.4 : μ . (t_3). μ



. 13.5:

μ

μ

μ

13.

$$A_{s(i)} = \sum_{k=1}^n a_k I[h(i, k)],$$

13.3.1

) μ $\mu\mu$, s
 μ . μ " μ ",
 μ . μ " μ ",
 . (.)
 . (.):

$$A_{s(i)} = \sum_{k=1}^n a_k I[h(i, k)],$$

▪ $A_{s(i)}$), $\mu\mu$ i (

▪ a_k μ k μ

$$\therefore a_k = S_k / S,$$

▪ S_k : μ μ k,
 (1, ...,)

▪ S : μ μ ,
 | . i.

▪ μ μ μ_0 1,
 k, k, h(i, k)

μ :
 $h(i, k) < CL,$
 $h(i, k) \geq CL,$

$I[h(i, k)] = 1$
 $I[h(i, k)] = 0$

:
CL

μ μ
 k

(),

μ

)

μ ,
 μ

μ .

μ μ h , μ

μ

As,

)

, L

μ
,
 μ μ

μ μ CA ,
 μ s CA .

μ

, μ μ

$L = t_e - t_0 + l,$ (13.2)

(. .)

:
 t_0

μ te

: $As(t_0)$ CA $As(t_0 - 1) < CA,$
 $As(te)$ CA $As(te + 1) < CA.$

) μ

$\mu\mu$, D_s

$$D_s(i) = \alpha_k [CL - h(i,k)] + [h(i,k)], \quad (13.3)$$

$$\begin{matrix} \mu & \mu \\ \mu & \cdot & \mu \\ \mu & \cdot & \cdot & \mu \\ & & & \mu\mu \end{matrix}$$

I[h(i,k)]

. 13.1.
 μ

)

$\mu\mu$,
 μ μ " ,
" μ (to, te): " $\mu\mu$

$$\bar{A} = \frac{\sum_{t_0}^{t_e} A_s(t)}{L} \quad (13.4)$$

: $A_s(t)$ CA, to t te.

$$\begin{matrix} \mu & & \mu\mu \\ & & \cdot \\ & & \cdot \end{matrix}, \quad ,$$

)

$\mu\mu$, D

" μ : μ "

$\mu\mu$

$$D = \sum_{t_0}^{t_e} D_s(t),$$

(13.5)

μ

μ

$\mu\mu$

.

μ

μ

)

(resilience)

$\mu_{\text{resilience}}$, $\mu_{\text{resilience}}$

μ

μ

μ

$\mu_{\text{resilience}}$, $\mu_{\text{resilience}}$

i)

μ

μ

ii)

μ

$tr,$

:

$$e(t) = h(t) - RL, \quad RL < h(t) \quad (13.7)$$

$$e(t) = 0, \quad RL \geq h(t) \quad (13.7)$$

:

▪ $e(t)$ μ (t (initial time), i), μ

▪ RL μ (μ (recovery level), CL), μ

$$E(t) = e(t) \quad (\text{mm}), \quad (13.8)$$

:

▪ $E(t)$ μ (re, r).

μ , μ $\mu\mu$ D (13.5), R (recovery rate).

$$tr = \min[(t-te): E(t)/D, AR] \quad (13.9)$$

)

μ

(Correia, . ., 1986):

$$L_f = -1/K(\ln[1-D/D_{max}]) \quad (13.10)$$

- L_f
 - $D_{\mu\mu}$
 - D_{max}

$$\frac{\mu}{\mu_D}, \quad \frac{K}{D}, \quad \frac{\mu}{\mu_D}, \quad \frac{\mu}{\mu_D} D_{max.}$$

$$P(H < h)n = 1 - (1 - 1/T)^n$$

μ

13.10 13.10

"

μ

μ

۲۳

μ 1082 m (., 1993).

μ

μ)

μ

(Thiessen,

μ .

μ

. 13.6

0.50

0.25.

μ

7 5

(
μ)

μ

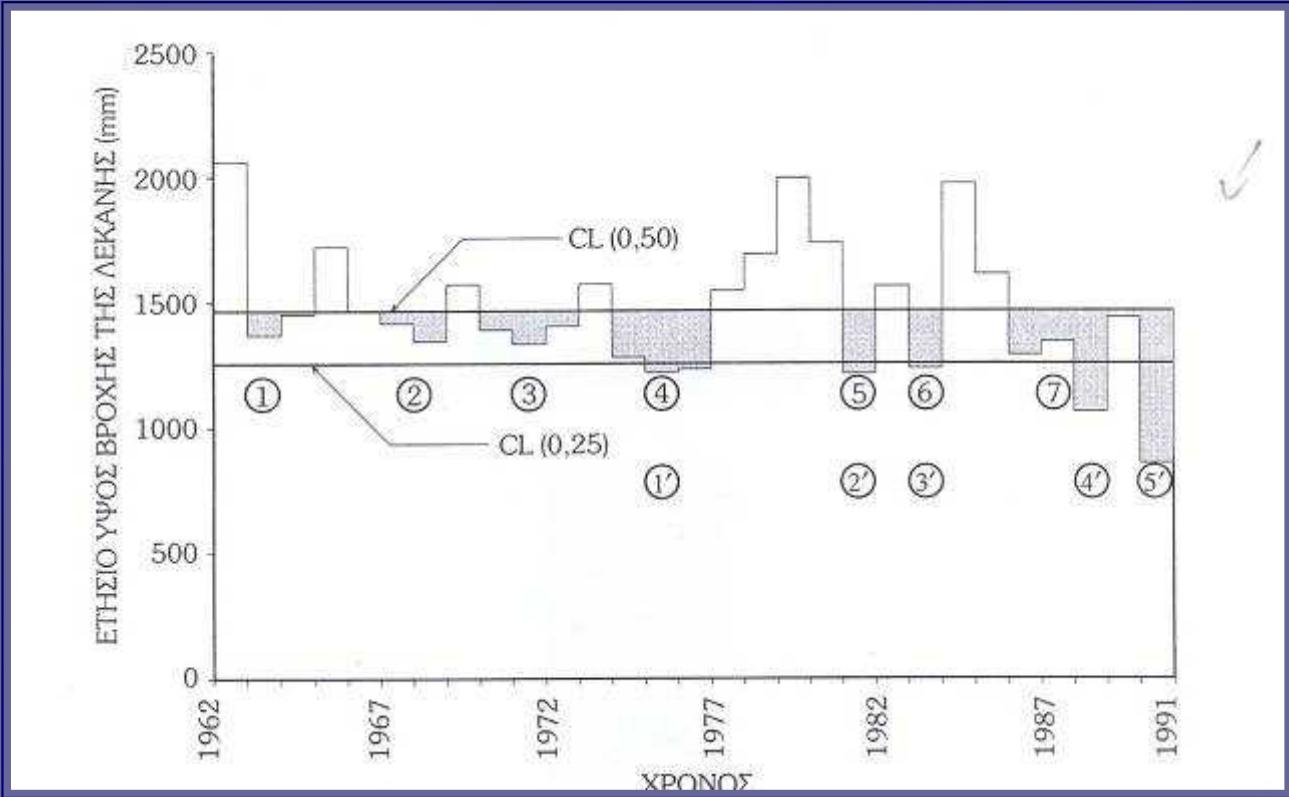
μ

. 13.7^μ

μ

$$0.25)^\mu 25\%$$

μ
50%



. 13.6:

μ

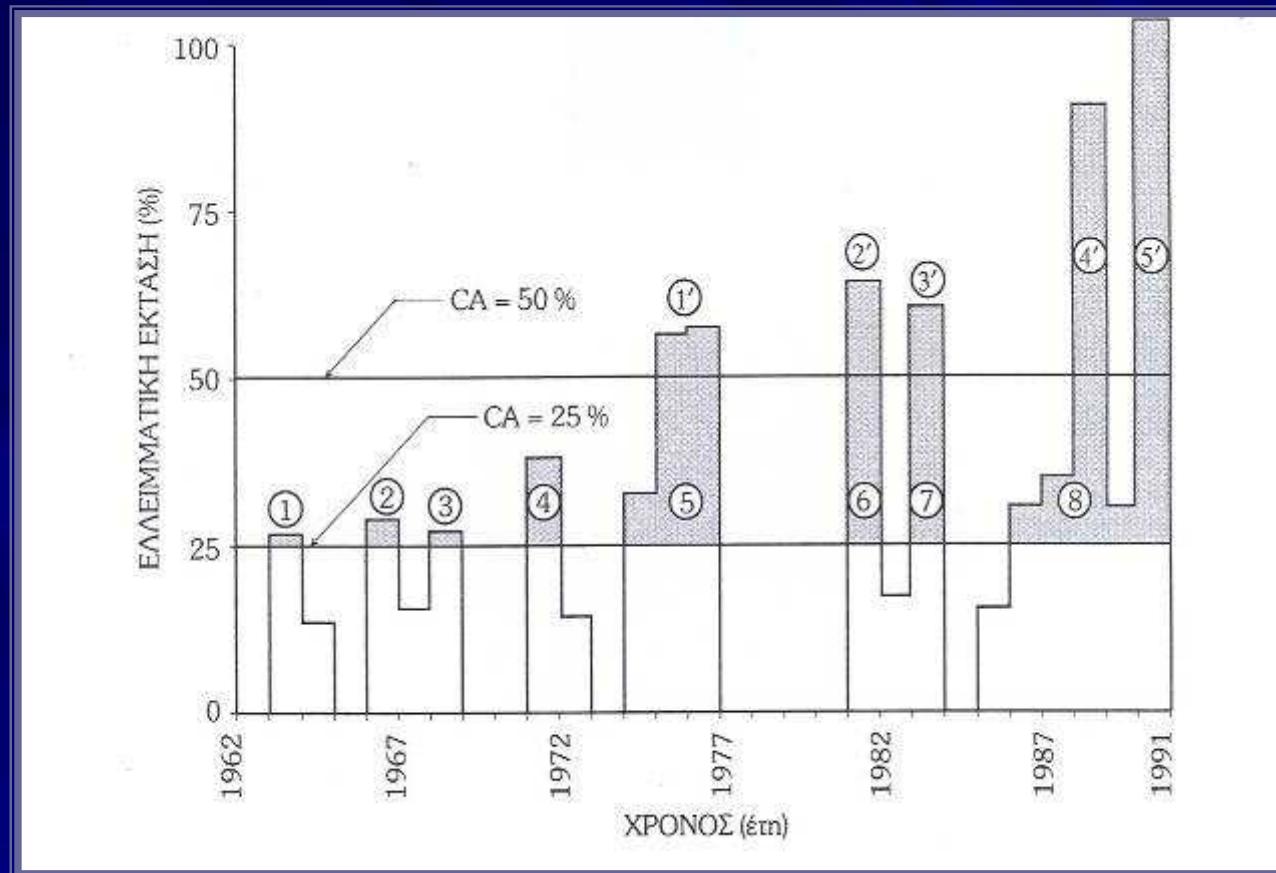
μ

0.25

μ

μ

0.50



. 13.7

μμ

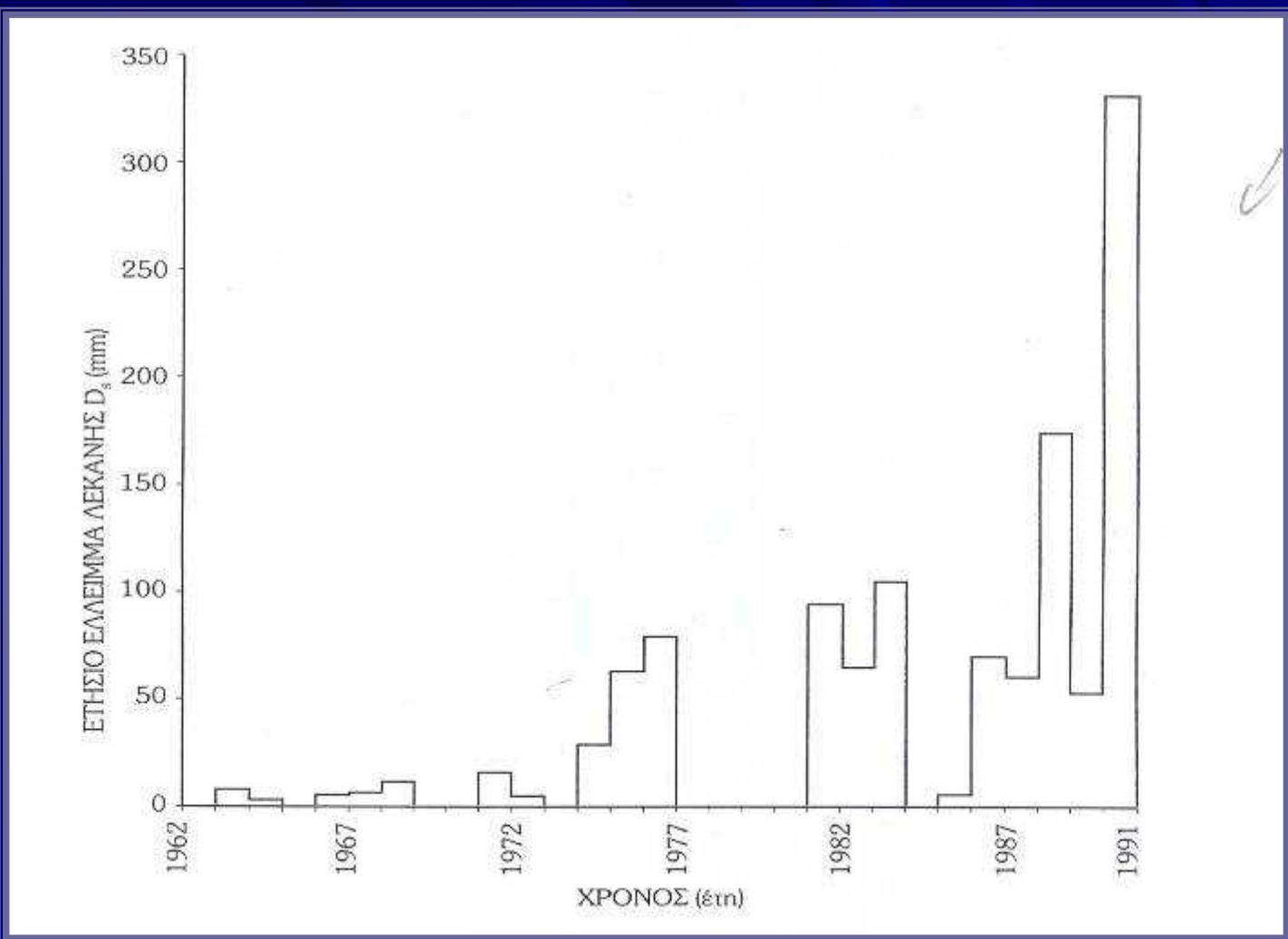
0.25

μ
μ

μ
50%

25%

μ



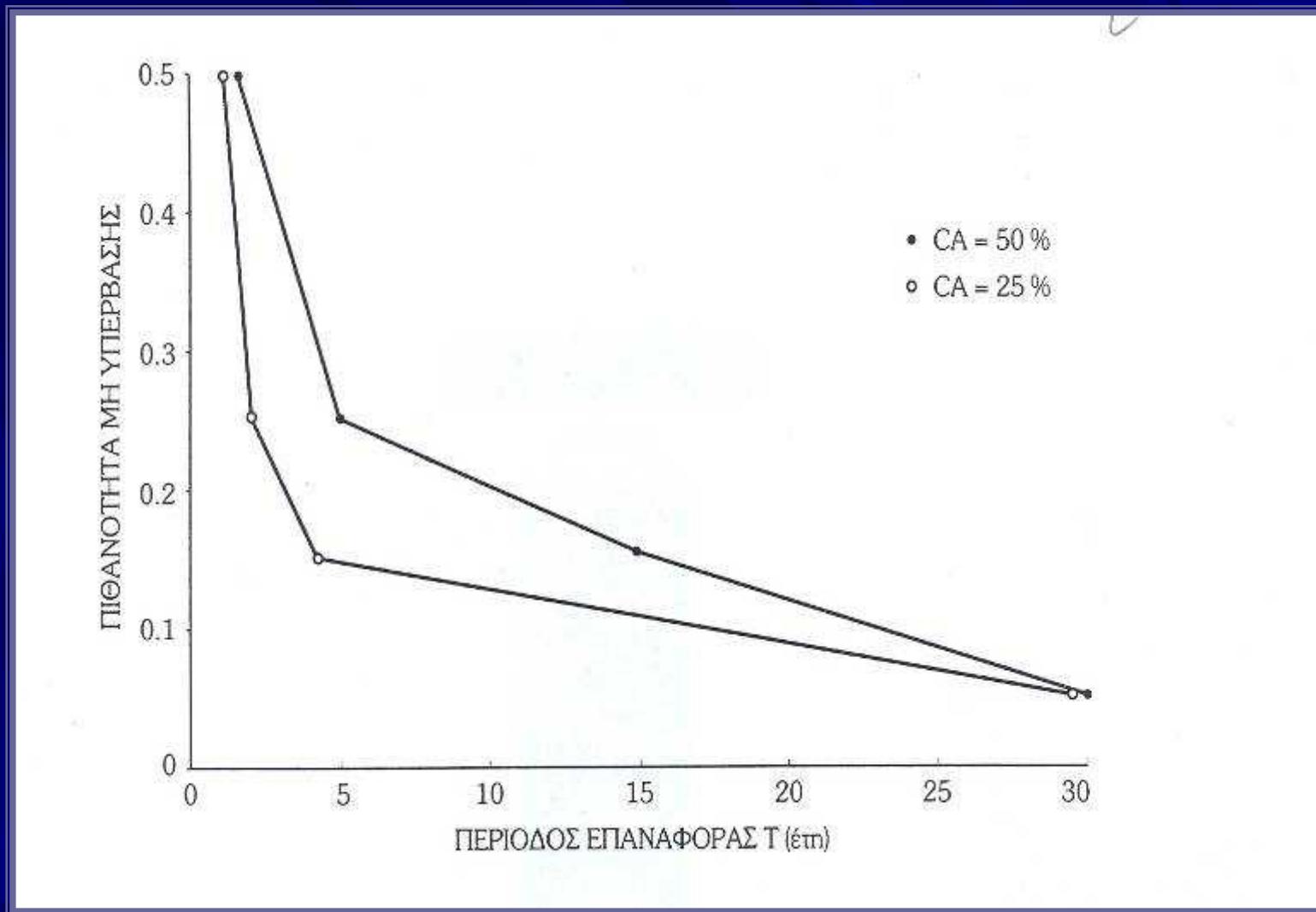
. 13.8:

$$\mu \mu$$

$$\mu$$

$$\mu$$

$$0.25$$

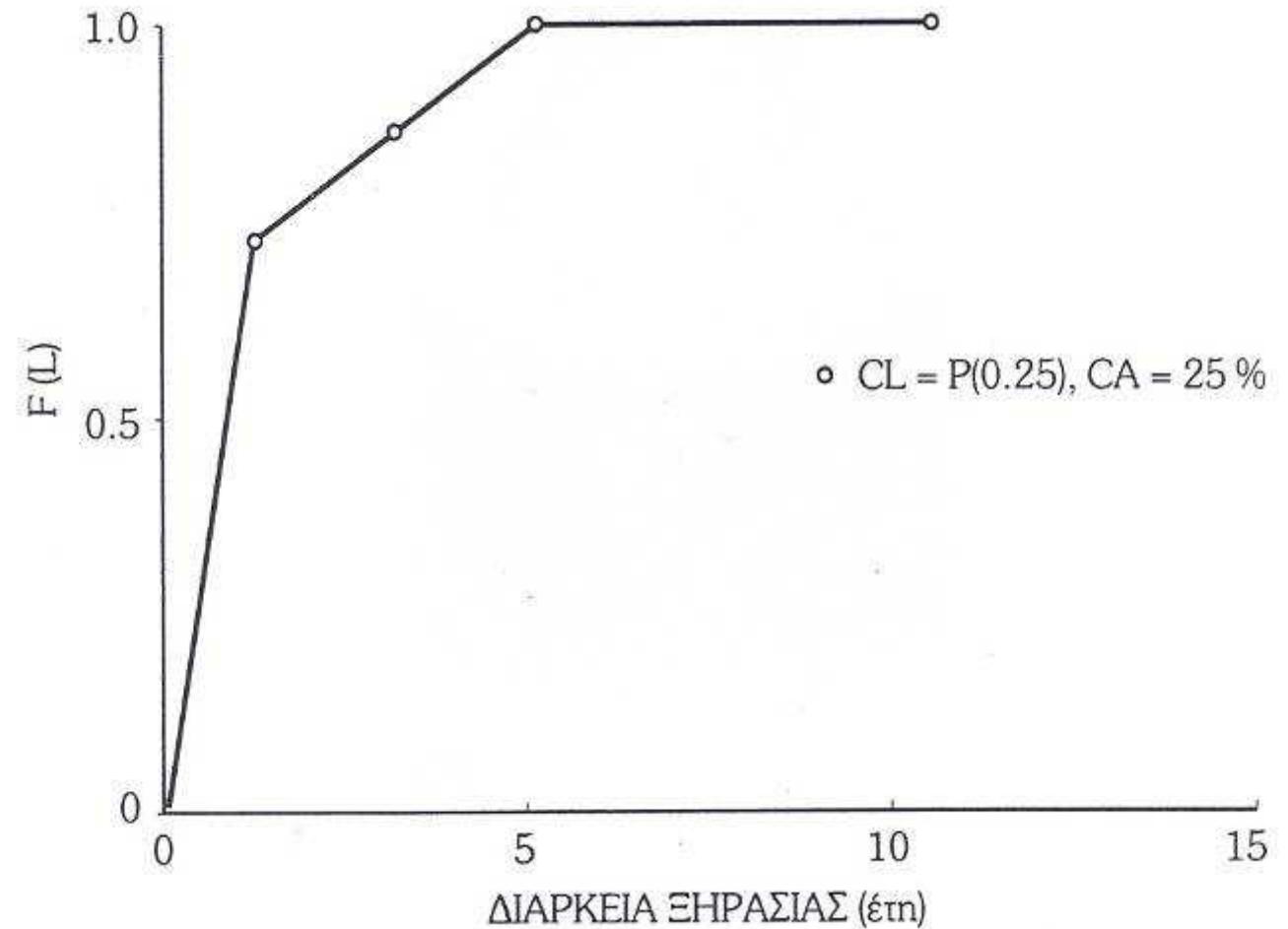


. 13.9:

CA = 50 25%.

μ

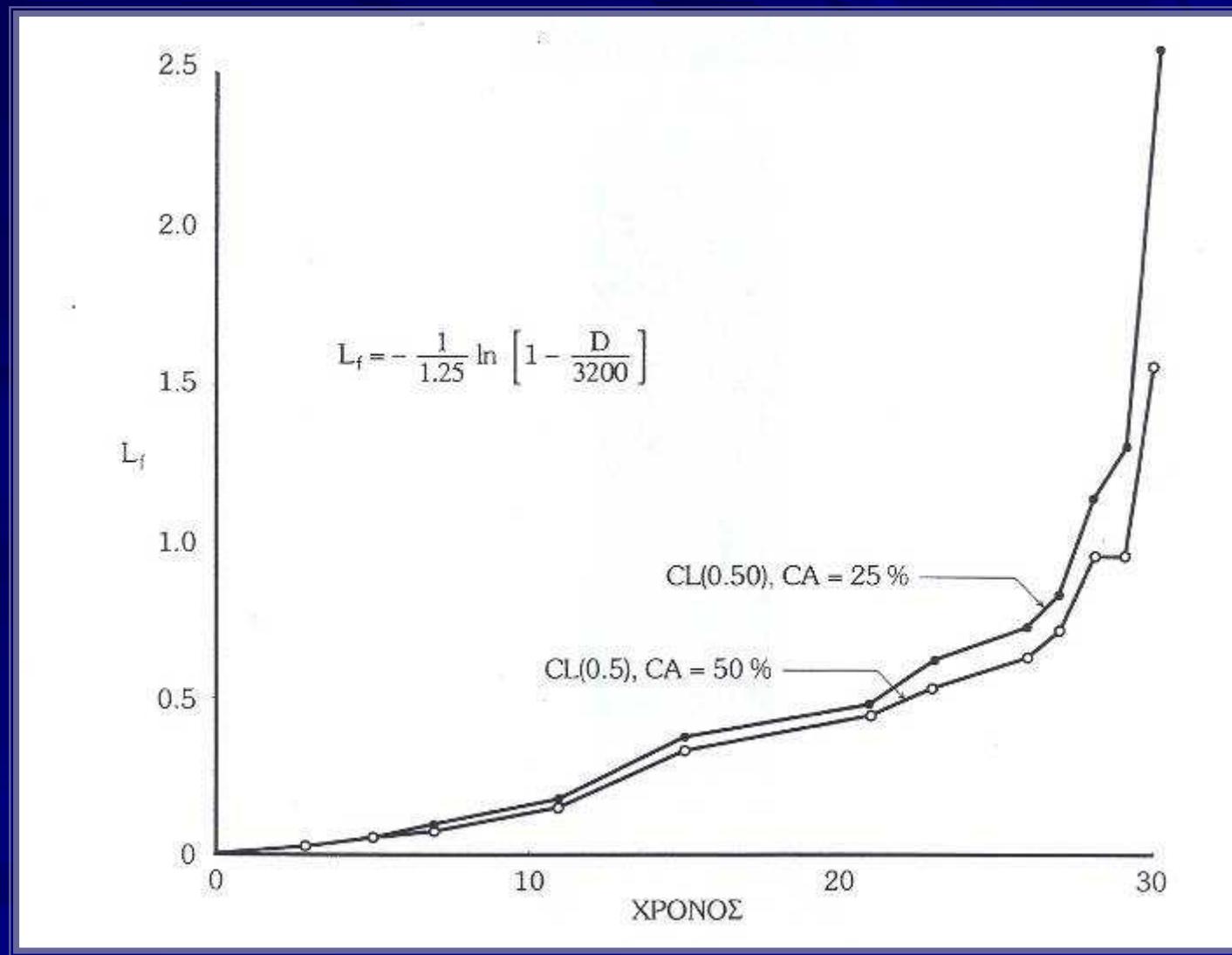
$\mu\mu$



. 13.10:

,

μ
CL (0.25) CA = 25%.



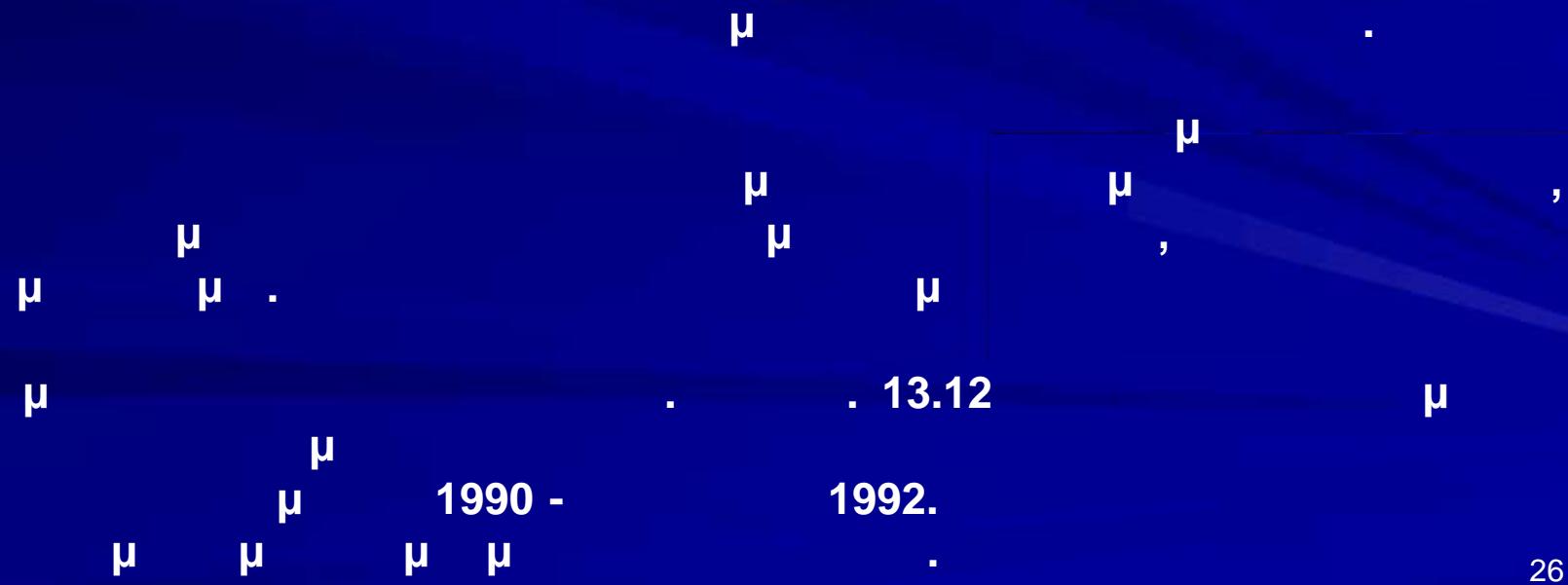
13.11:

$25 \quad \mu$,
 $50 \%.$ μ μ

13.4

13.4.1

μ (μ , μ , μ , μ , μ)
 μ (μ , μ , μ , μ , μ).
).



μ . 13.13

μ
(

μ μ

$\mu\mu$

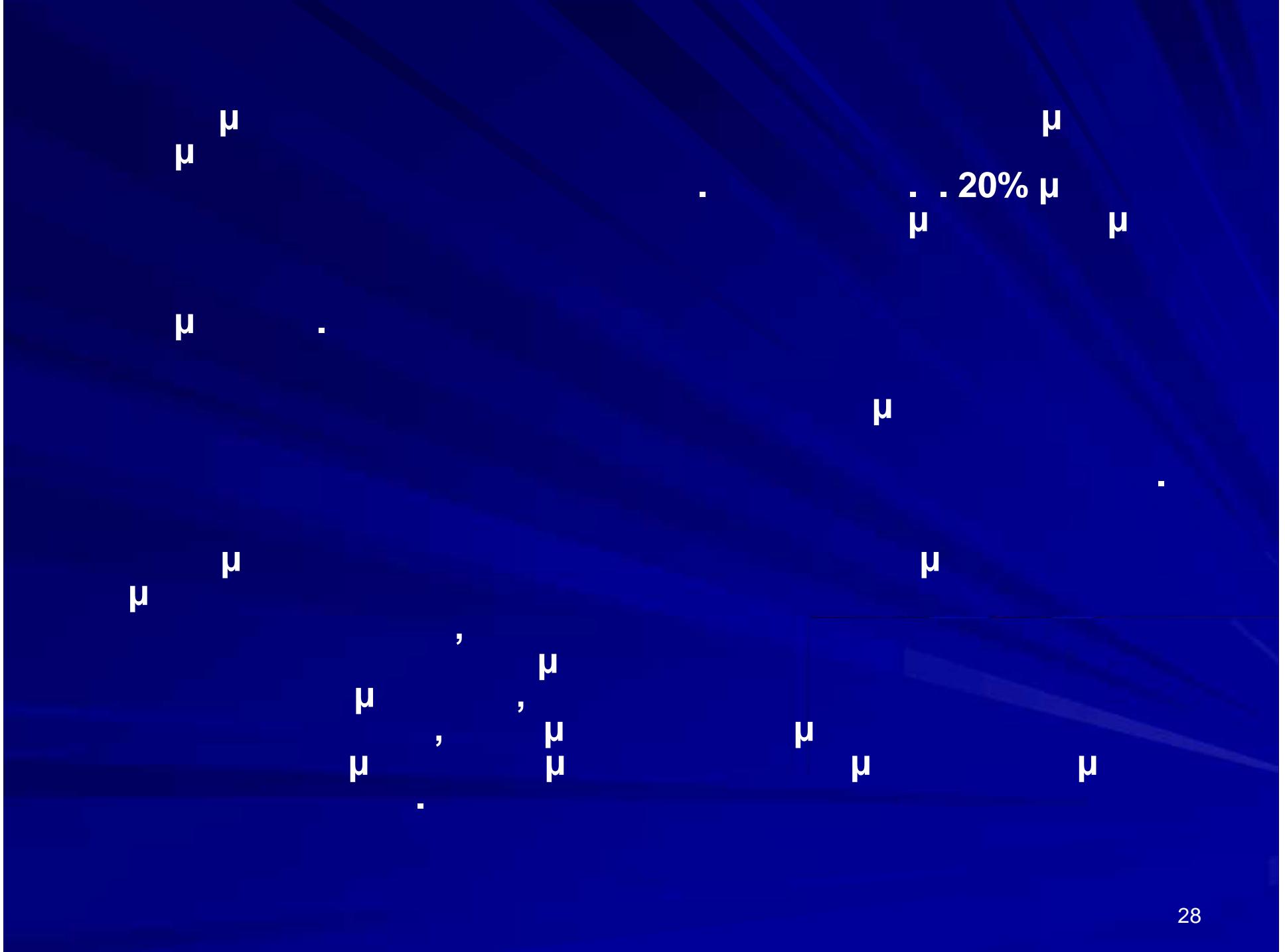
$\mu\mu$
 μ 228 μ
, 1991).

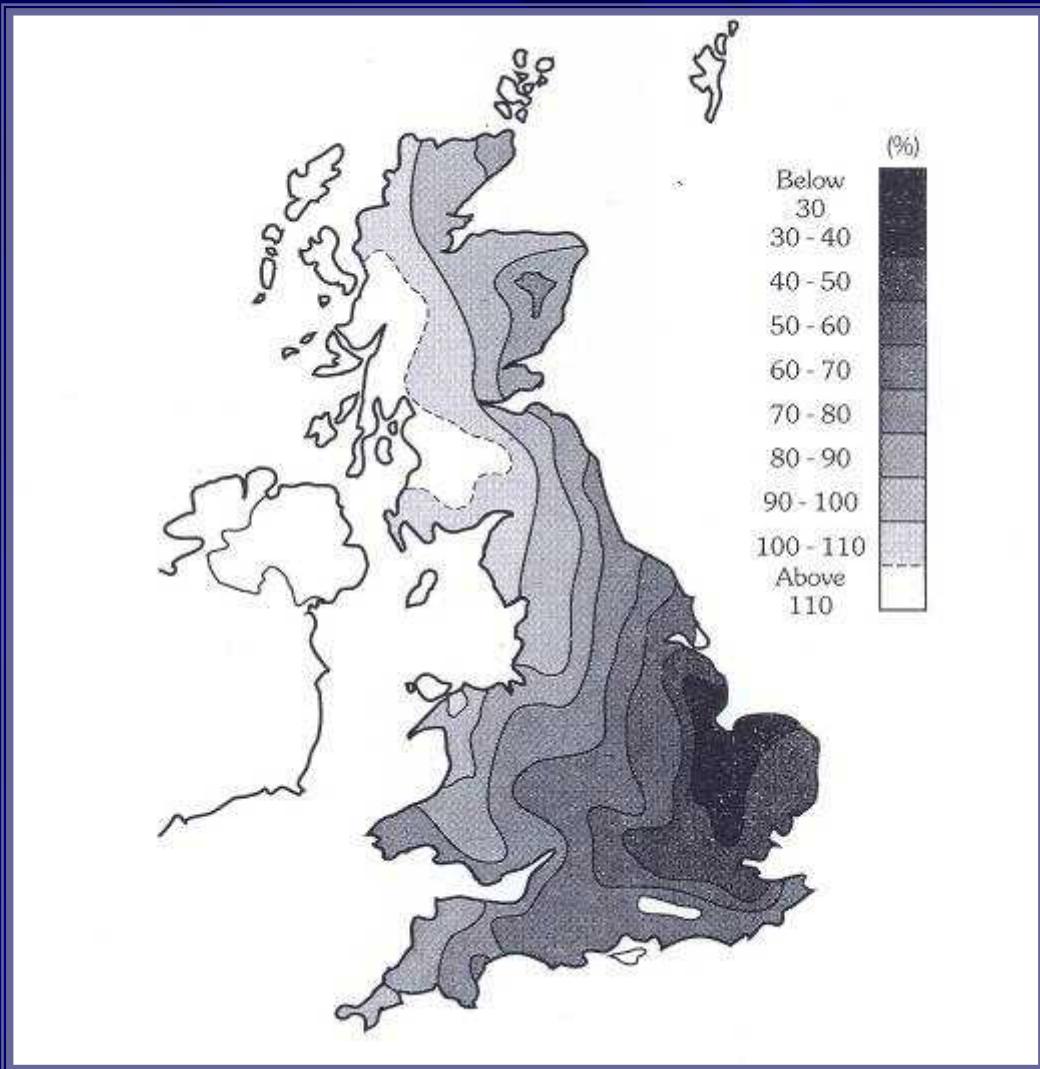
μ μ

μ μ

μ μ

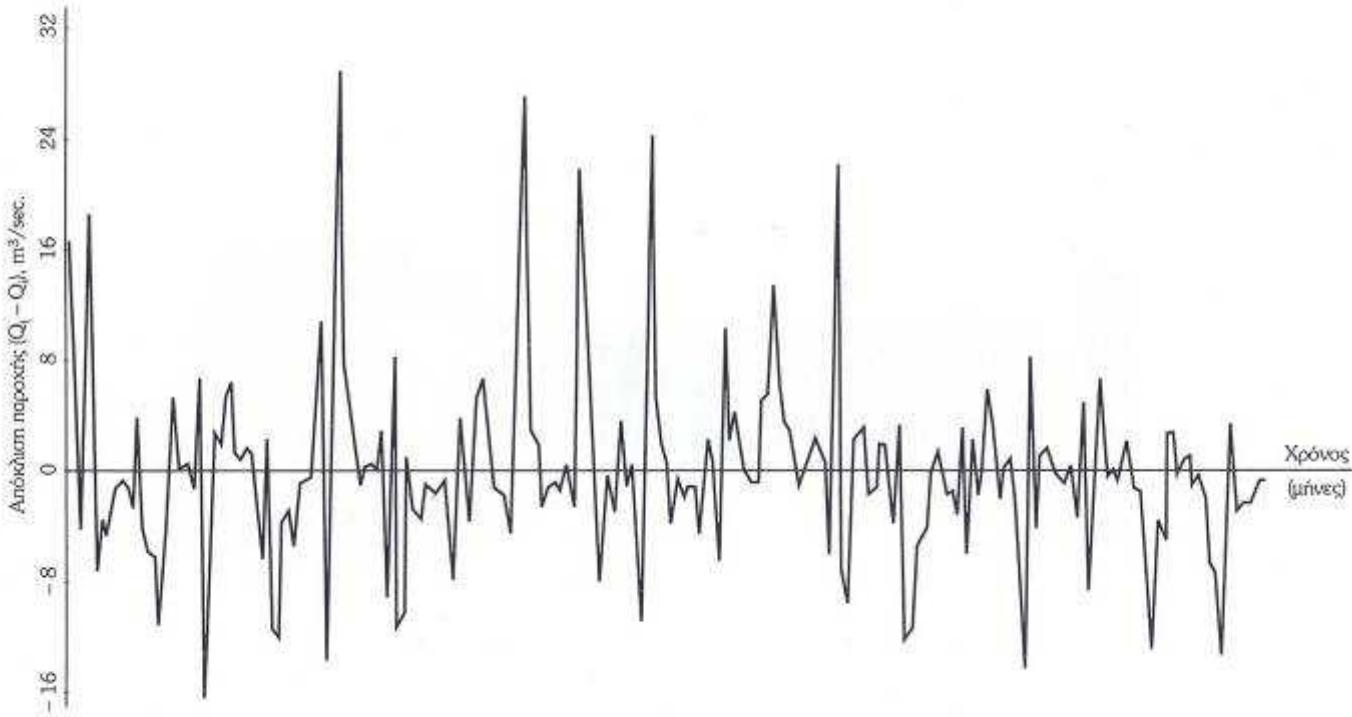
μ μ





. 13.12: μ)

(μ . 1990- . 1992.



Σχ. 13.13: Αποκλίσεις από τη μέση τιμή της απορροής στο Μόρνο ποταμό (στη θέση του φράγματος) για ένα δείγμα 228 μηνιαίων τιμών παροχής.

13.4.2

μ μ
 μ μ μ
 μ . .
 .
 μ .
 .
 μ μ
 μ .
 μ
 μ .
 .
 μ
 μ
 μ .
 .
 μ
 μ
 μ ,
 .
 μ
 μ

μ

μ

μ

μ

μ

μ

,

μ

10 of 10

95%
1/4

1/4

. 13.14

μ

μ

μ

μ

μ

μ

μ'

μ

μ

μ

μ

μ

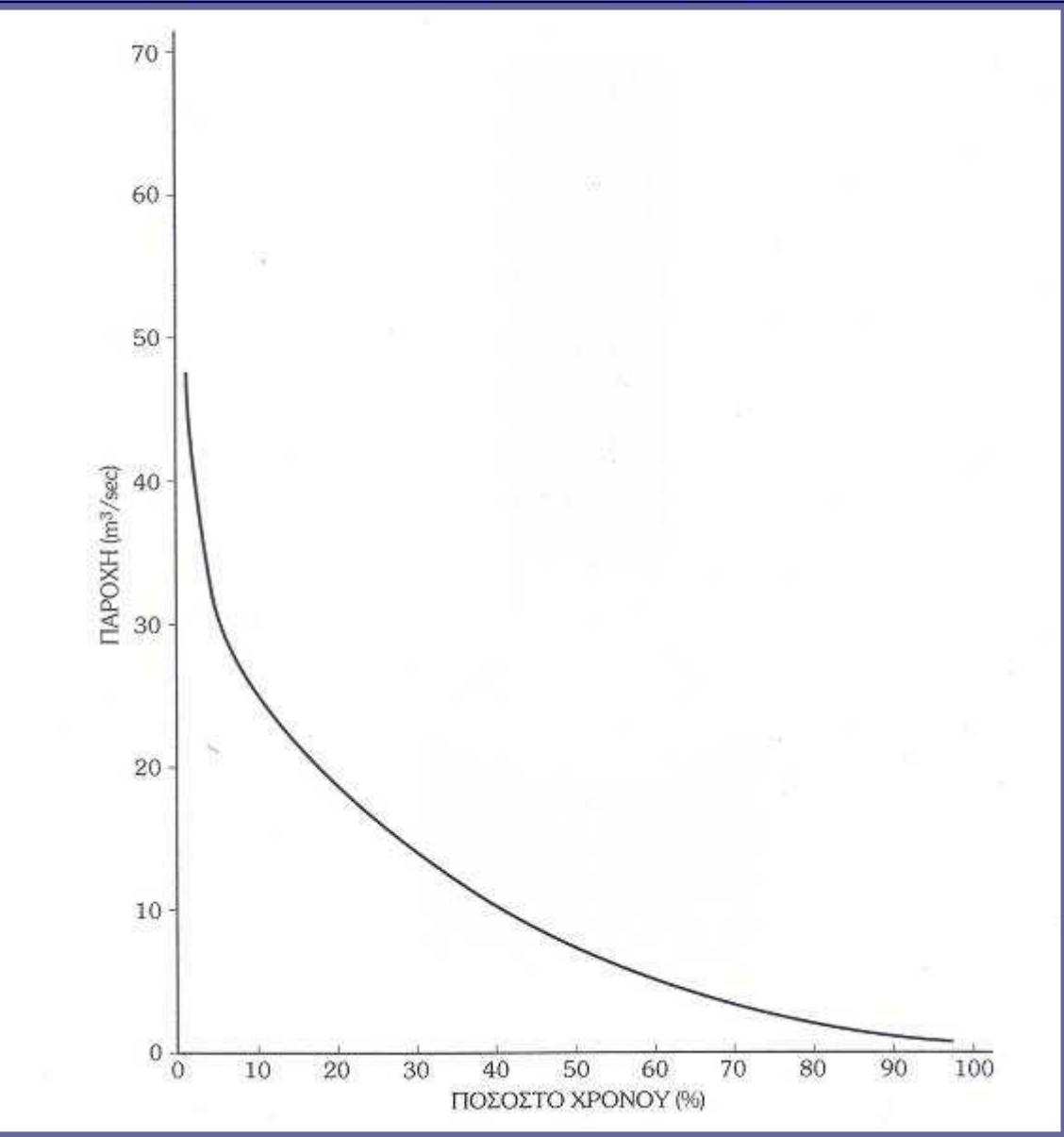
μ

μ

13.4.3.

μ

μ



. 13.14 μ

13.4.4

μ

(),

μ

,

μ

μ

.
 μ

μ

.

μ

μ

.

μ

μ

(

μ

μ

) μ

μ

1

A 10x10 grid of small blue squares. Each square contains a white Greek letter μ (mu). The squares are arranged in a staggered pattern, creating a grid where each square is offset from its neighbors.

The figure shows a scatter plot of data points (blue dots) against a theoretical curve (solid black line). The x-axis is labeled "Weibull" and the y-axis is labeled "Gumbel". Both axes have labels with the Greek letter μ at various points along them.

$$f(x) = \frac{1}{\mu} \left(\frac{x}{\mu} \right)^{\alpha-1} e^{-x/\mu} \quad (13.10)$$

III (Weibull)

$$p(x) = ax^{a-1}s^{-r} \exp[-(x/s)^r] \quad (13.11)$$

$$P(x) = 1 - \exp[-(x/s)^r] \quad (13.12)$$

(Shaw, 1983),

$$s = \frac{x}{\Gamma(1 + 1/r)} \quad (13.13)$$

μ

μ

μ

μ

μ

μ

III (Weibull)

μ Weibull :

$$p(x) = \frac{a}{S-C} \left(\frac{x-C}{S-C} \right)^{a-1} \exp \left(-\left(\frac{x-C}{S-C} \right)^a \right) \quad x < c \quad (13.14)$$

$$p(x) = 1 - \exp \left(-\left(\frac{x-C}{S-C} \right)^a \right) \quad x < c \quad (13.15)$$

μ $b > c$ $a > 0.$
 μ μ

$$y = \left(\frac{x - C}{S - C} \right)^a \quad \mu$$

:

$$g(y) = e^{-y} \quad y > 0 \quad (13.16)$$

$$G(y) = 1 - e^{-y} \quad (13.17)$$

μ μ $y_T (\mu)$

)

:

$$y_T = -\ln(1 - \frac{1}{T})$$

(13.18)

μ

μ

μ

μ

:

$$\sim = C + (S - C) \Gamma \left(\frac{1}{r} + 1 \right)$$

(13.19)

$$\dagger = \frac{s - C}{B_a}$$

(13.20)

B_a

$$B_a = \frac{1}{\sqrt{\Gamma\left(\frac{2}{r} + 1\right) - \Gamma^2\left(\frac{1}{r} + 1\right)}}$$

μ

$$A_a = \left(1 - \Gamma\left(\frac{1}{r} + 1\right)\right) B_r,$$

(13.22)

$$\mu = -$$

μ

(13.23)

$$\dagger = \frac{s - C}{B_a},$$

(13.24)

$\mu\mu$

μ Weibull

$$x = \left(\Gamma\left(\frac{3}{r} + 1\right) - 3\Gamma\left(\frac{2}{r} + 1\right)\Gamma\left(\frac{1}{r} + 1\right) + 2\Gamma^3\left(\frac{1}{r} + 1\right) \right) B_r^3,$$

(13.25)

13.2

μ

a, A_a

$B_{a.}$

$\mu\mu$

μ

$$s = \bar{t} + \dagger A_r$$

$$C = s + \dagger B_r$$

μ

μ

γ	$1/a$	a	A_a	B_a
-1.08107	0.01	100.	0.44815	78.981
-1.02485	0.02	50.	0.44611	39.989
-0.9707	0.03	33.3333	0.44392	26.9862
-0.91845	0.04	25.	0.4416	20.4808
-0.86797	0.05	20.	0.43915	16.5744
-0.8191	0.06	16.6667	0.43657	13.9673
-0.77174	0.07	14.2857	0.43386	12.1029
-0.72577	0.08	12.5	0.43104	10.7025
-0.6811	0.09	11.1111	0.4281	9.6114
-0.63764	0.1	10.	0.42504	8.73689
-0.554	0.12	8.33333	0.41861	7.42093
-0.47429	0.14	7.14286	0.41178	6.47613
-0.398	0.16	6.25	0.40456	5.76326
-0.32473	0.18	5.55556	0.397	5.20498
-0.25411	0.2	5.	0.3891	4.7549
-0.18583	0.22	4.54545	0.3809	4.3835
-0.11963	0.24	4.16667	0.37242	4.07108
-0.05527	0.26	3.84615	0.36368	3.80405
0.00746	0.28	3.57143	0.3547	3.57267
0.06874	0.3	3.33333	0.34551	3.36982
0.21665	0.35	2.85714	0.32169	2.95543
0.35863	0.4	2.5	0.29693	2.63389
0.49634	0.45	2.22222	0.27149	2.37443
0.63111	0.5	2.	0.2456	2.15866
0.76404	0.55	1.81818	0.21947	1.97489
0.89605	0.6	1.66667	0.19331	1.81538
1.02793	0.65	1.53846	0.16729	1.67482
1.16039	0.7	1.42857	0.14156	1.54942
1.29407	0.75	1.33333	0.11626	1.43641
1.42955	0.8	1.25	0.09152	1.33375
1.56736	0.85	1.17647	0.06743	1.23987
1.70804	0.9	1.11111	0.04411	1.15355
1.85209	0.95	1.05263	0.02161	1.07385
2.	1.	1.	0.	1.

. 13.2

μ

$a, Aa,$

a

μ

Weibull